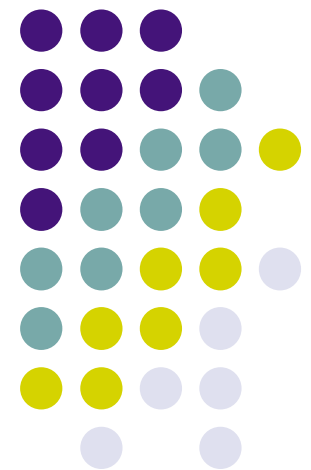


Interferometric Testing of the AOptix Deformable Mirror

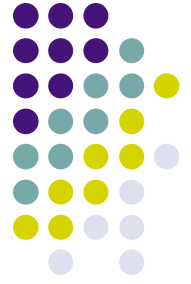
David Horsley¹, Hyunkyu Park¹, Sophie Laut² & Jack Werner²

¹Berkeley Sensor & Actuator Center &
Department of Mechanical Engineering

²Department of Ophthalmology
University of California, Davis

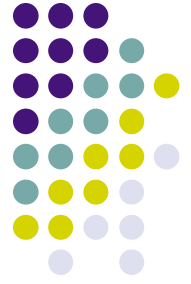


Overview

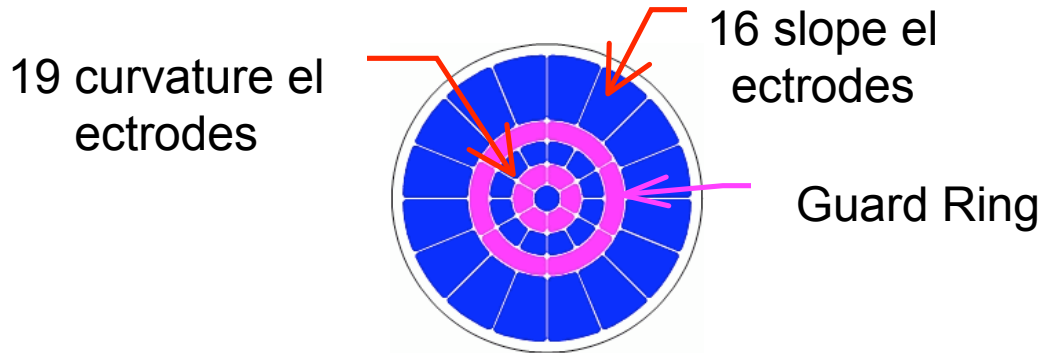


- Description of mirror structure
- Global characteristics
 - Roughness
 - Static actuation characteristics
 - Dynamics
- Reconstruction of Zernike mode-shapes from influence matrix
- Conclusions

AOptix Mirror Structure

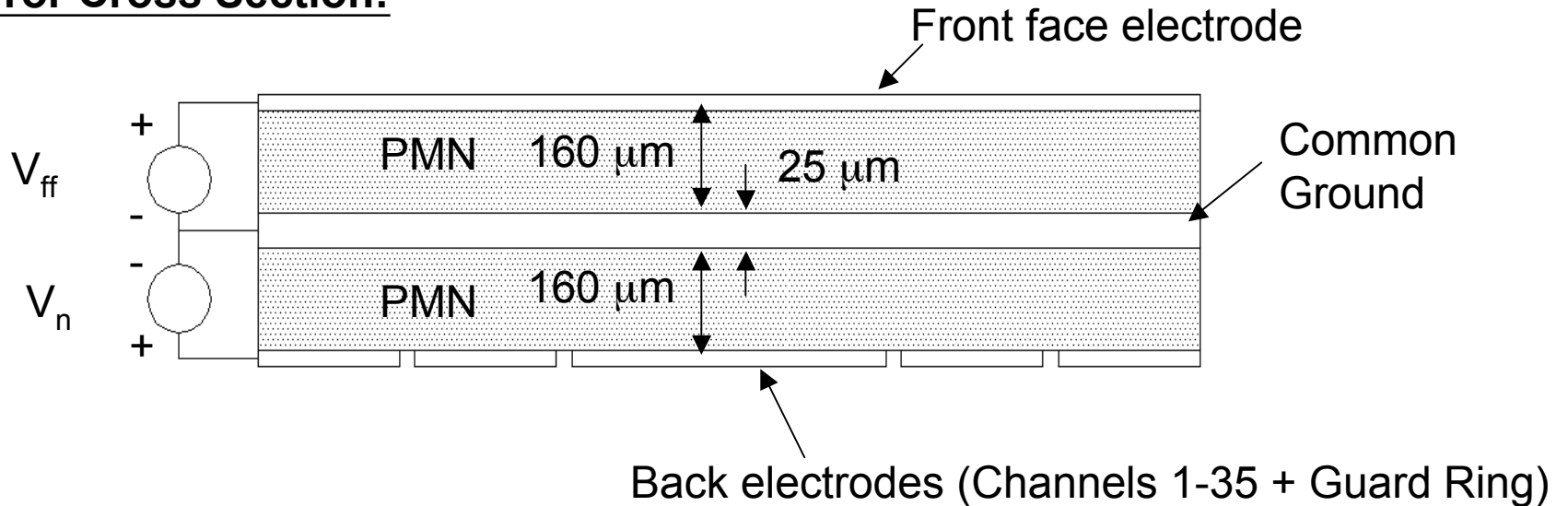


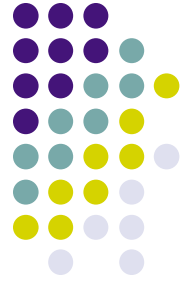
Plan View of Electrode Layout:



of Actuators:
35 + 1 (Guard Ring)

Mirror Cross Section:

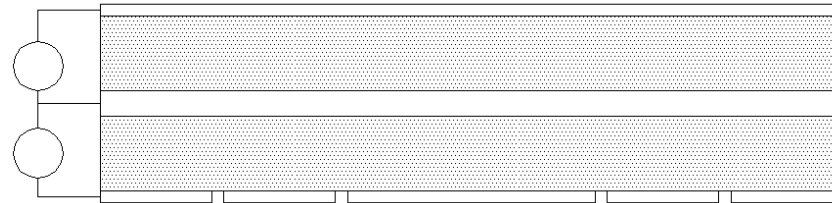




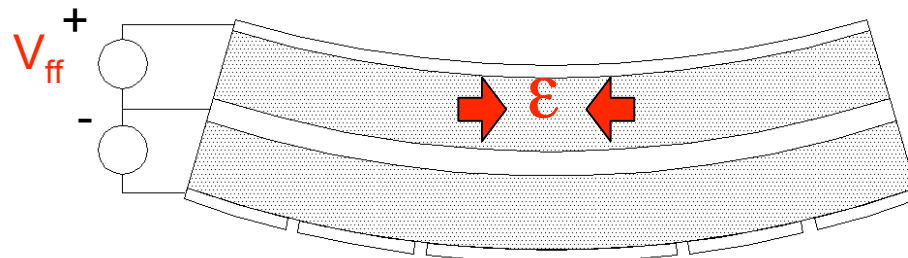
Actuation Principle

- PMN is an electrostrictive ceramic
 - Strain is proportional to square of electric field.
 - Unlike piezoelectrics, cannot generate compressive stress.

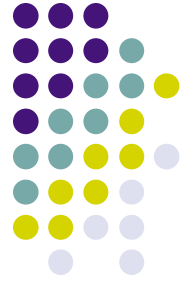
Relaxed state



Actuated state

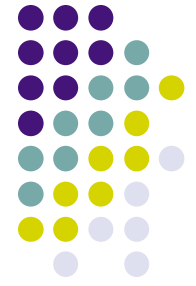
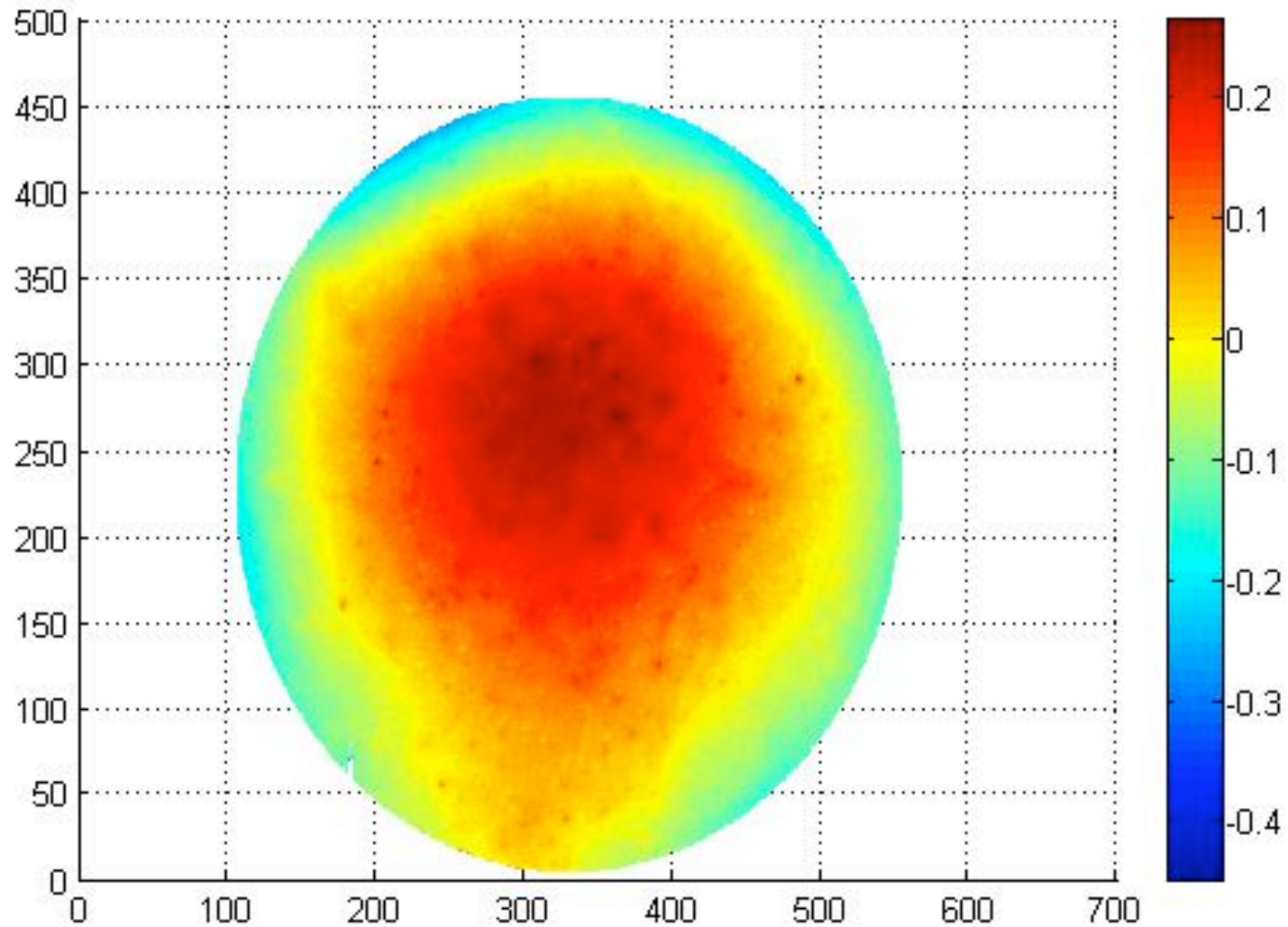


Actuation Details



- Symmetric bimorph structure:
 - Front-face biased at 100V.
 - When back electrodes are at 100V, mirror is nominally flat.
 - Back electrodes < 100 V results in concave shape
 - Back electrodes > 100 V results in convex shape
 - Max full-scale voltage = 300V
- Advantages
 - Lower remanent polarization than piezo results in low hysteresis.
 - Lower tempco than a simple bimorph.

Surface map of “flat” mirror



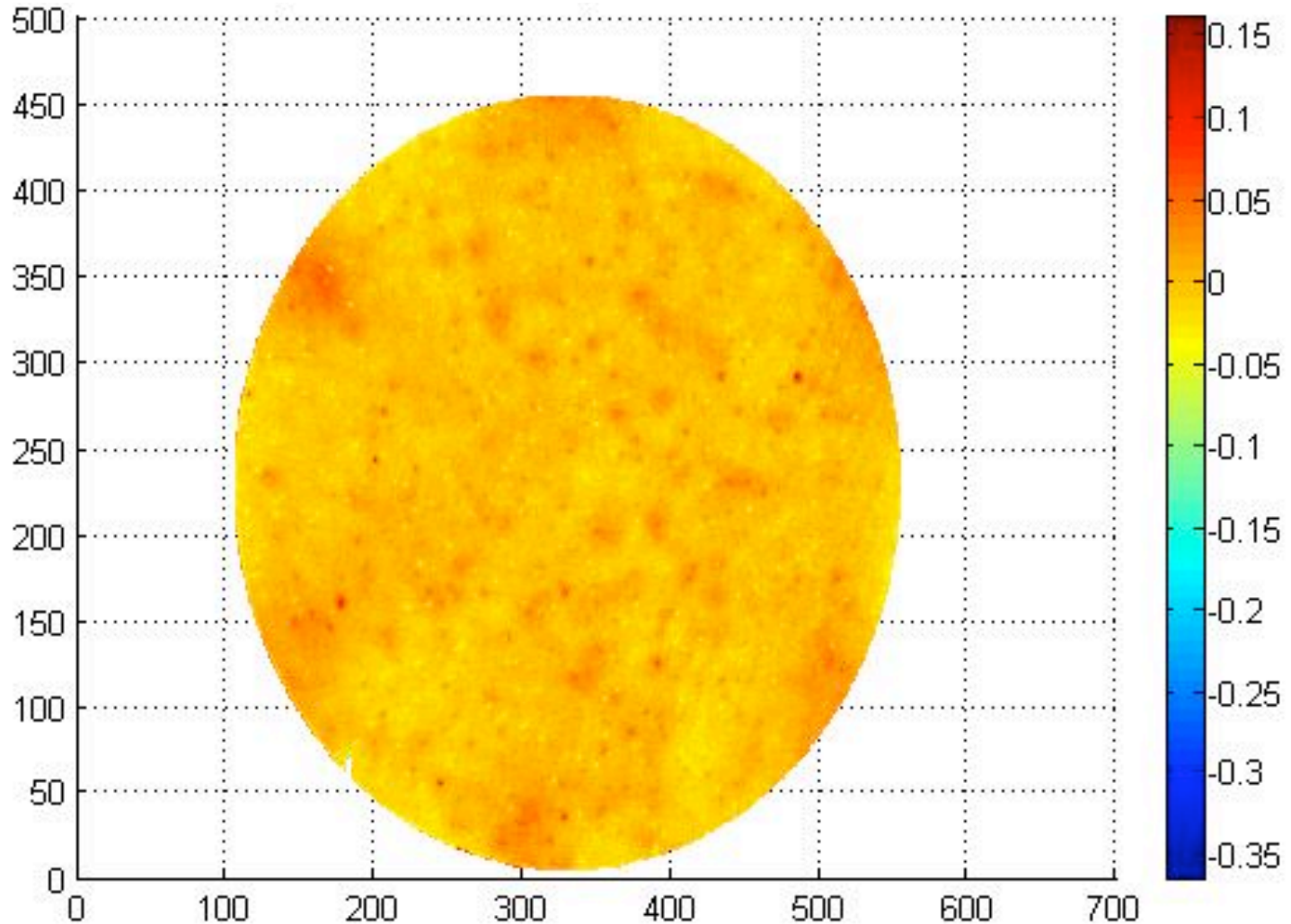
RMS = 120 nm, P-V = 0.6 microns

CfAO Fall Retreat

11/13/2004



Residual error after 5th order Zernike Fit

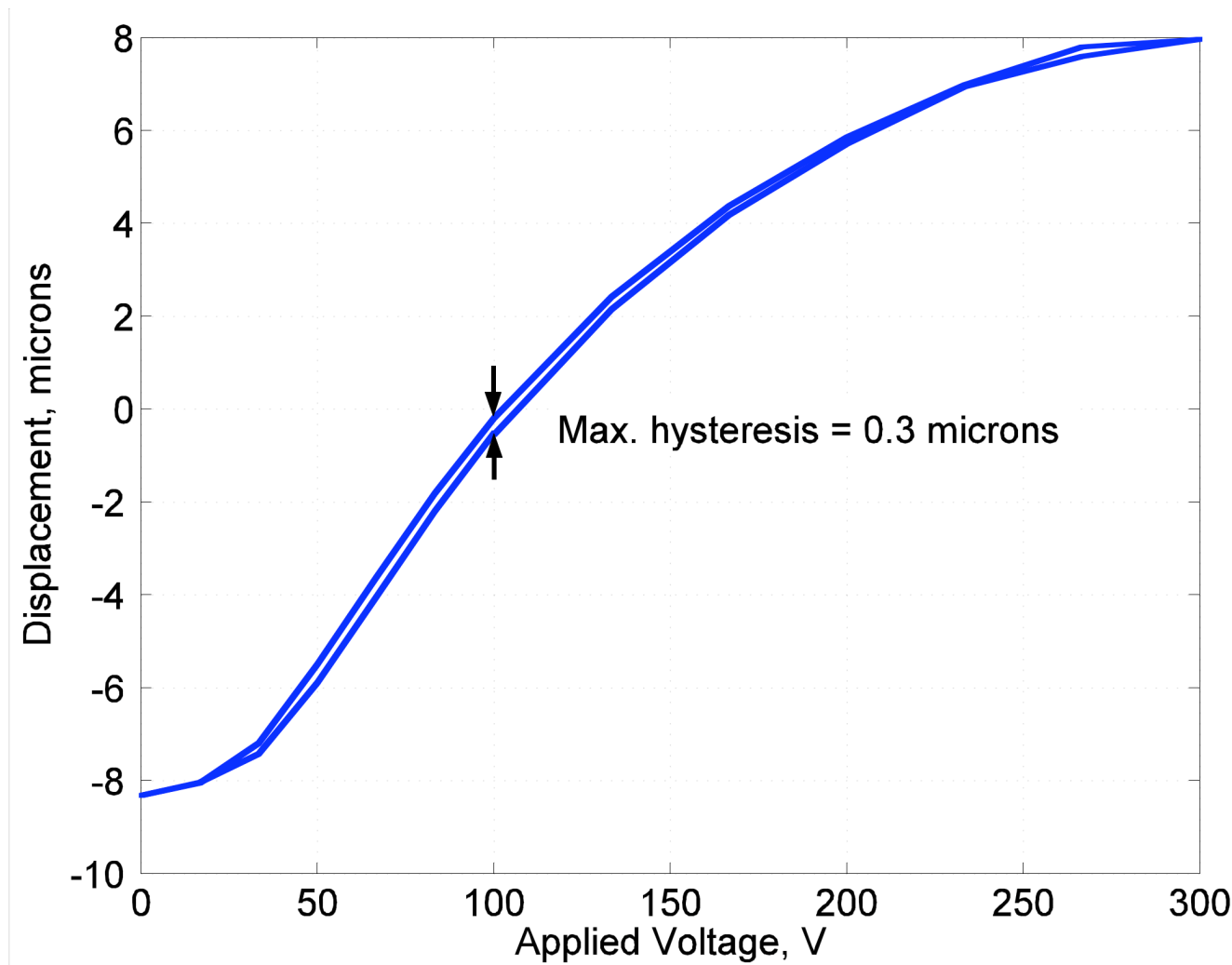


RMS = 13 nm, P-V = 200 nm

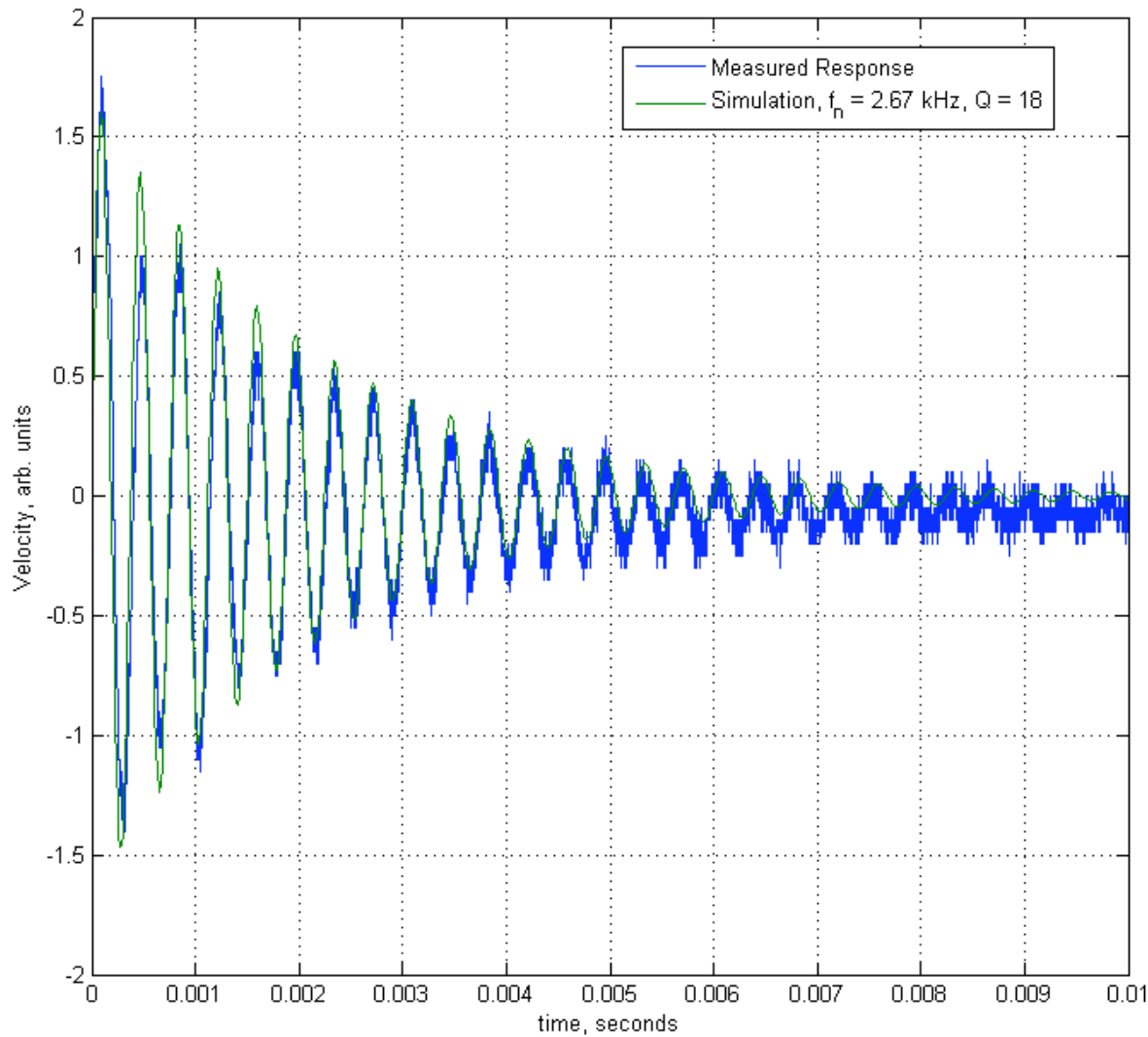
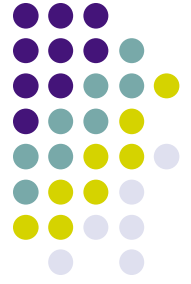
Defocus Vs. Applied Voltage



Test conditions: GR & FF @ 100V

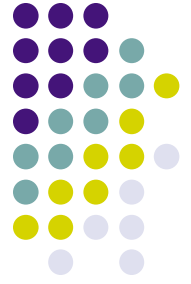


Step Response

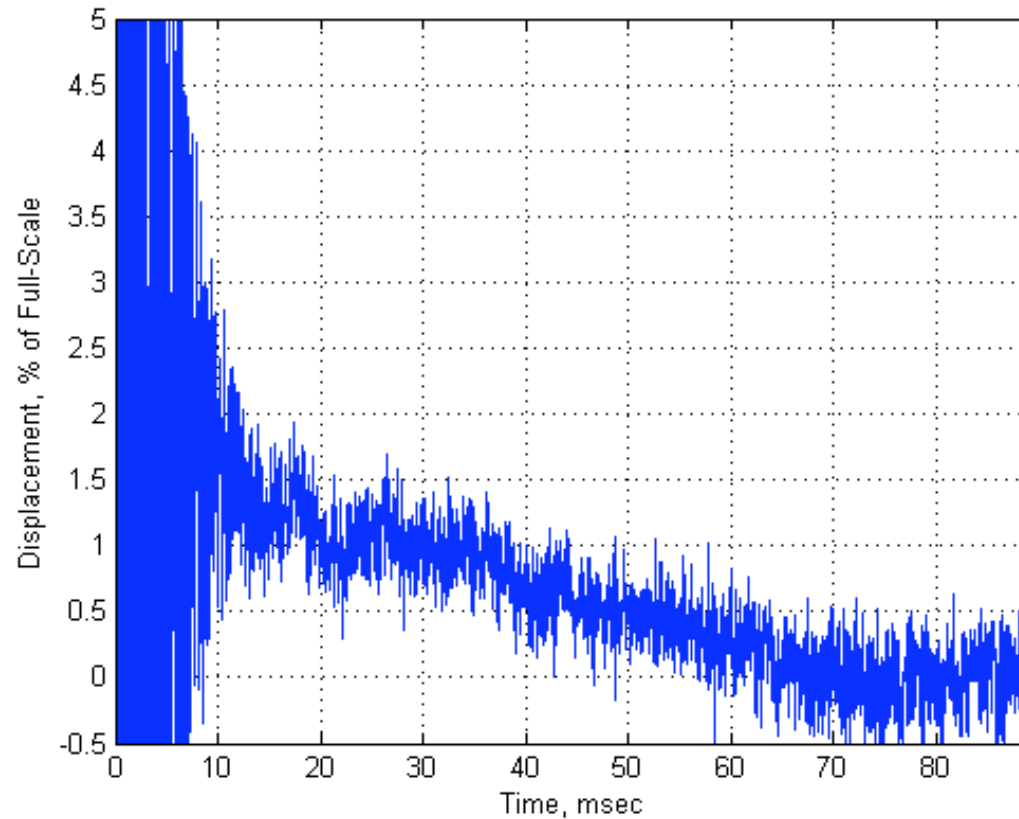


- $f_n = 2.67$ kHz
- $Q = 18$
- 1% settling time = 10 ms

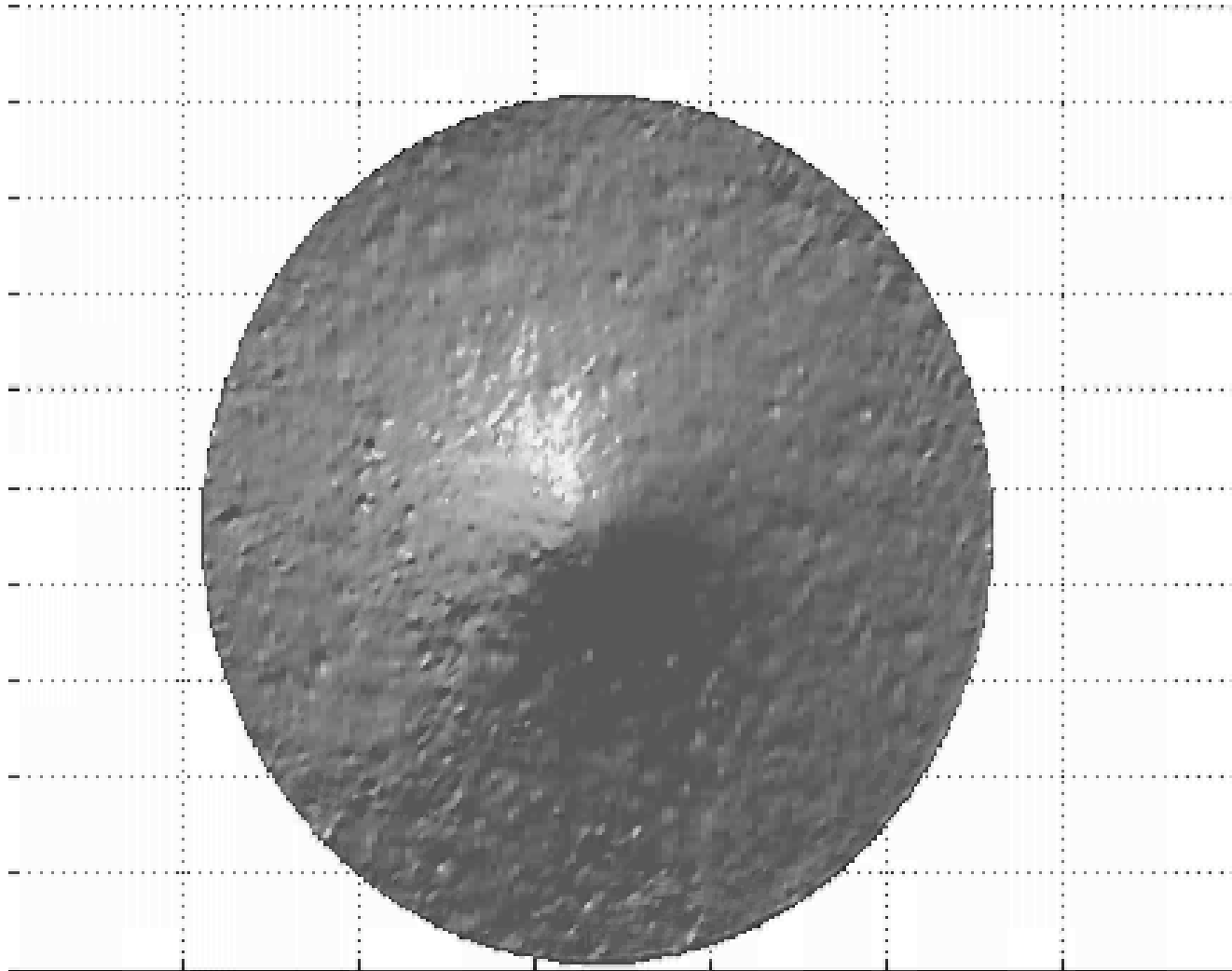
Creep



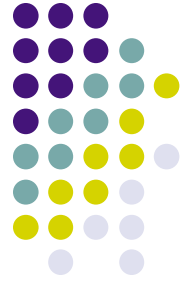
- Mirror response varies by approximately 1% after the first 10 ms of settling.
- This response lasts for approximately an additional 60 ms.



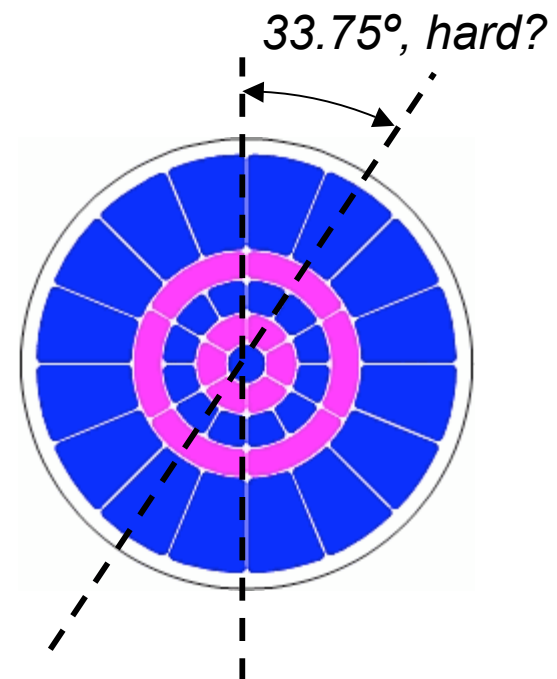
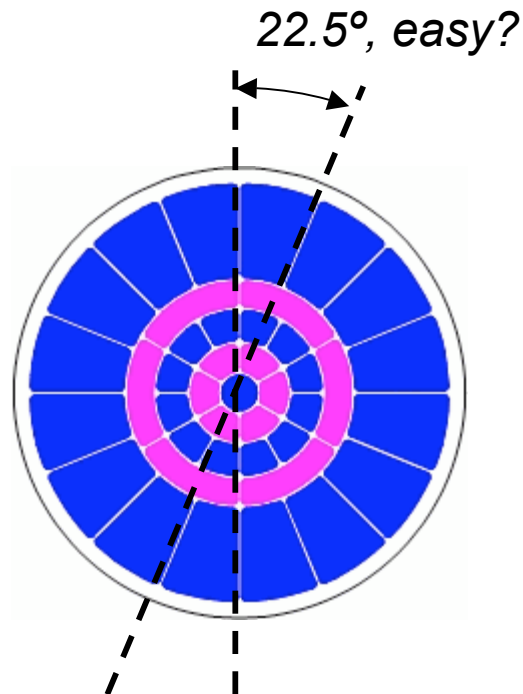
Influence Functions



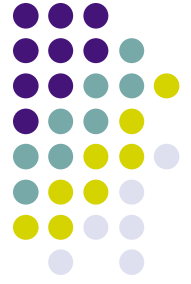
Reproducing Zernike Mode Shapes



- Motivation: characterize ability of mirror to reproduce “interesting” combinations of aberrations.
- Started with astigmatism at arbitrary angles:



Zernike Modeshapes



Approach:

- Model wavefront surface as a weighted combination of influence functions:

$$W(x, y) = f(\vec{V}) \vec{\Phi}^T$$

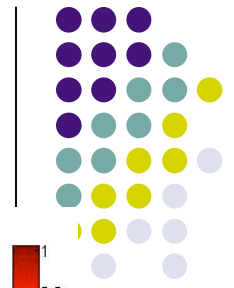
- Approximate influence functions with a finite number of Zernike polynomials:

$$\vec{\Phi}^T = \frac{1}{Z_0} A \vec{Z}^T$$

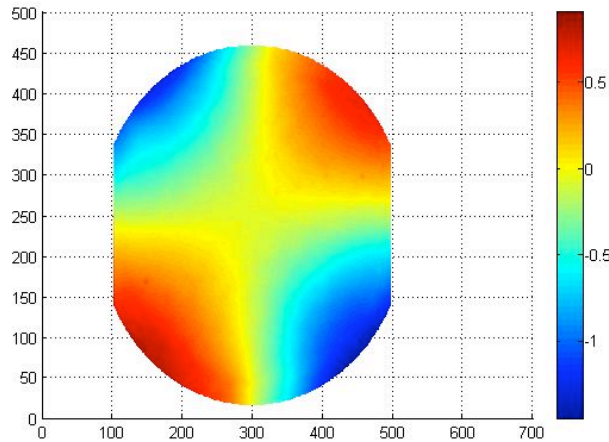
- The voltage required to generate an arbitrary combination of Zernike polynomials, e_i , is computed from the pseudo-inverse of \mathbf{A} :

$$\vec{V} = f^{-1}(Z_0 \vec{e}_i A^*)$$

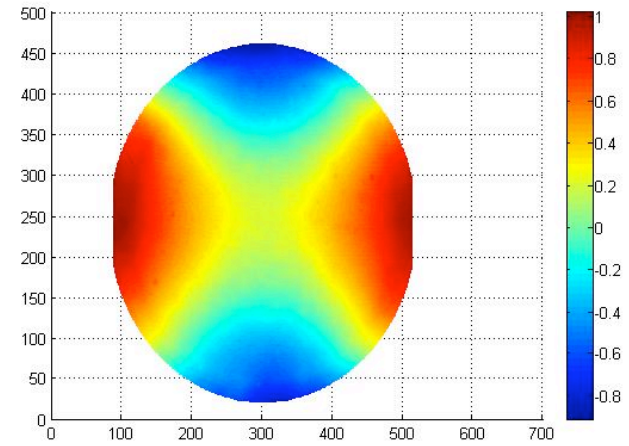
Measured Results



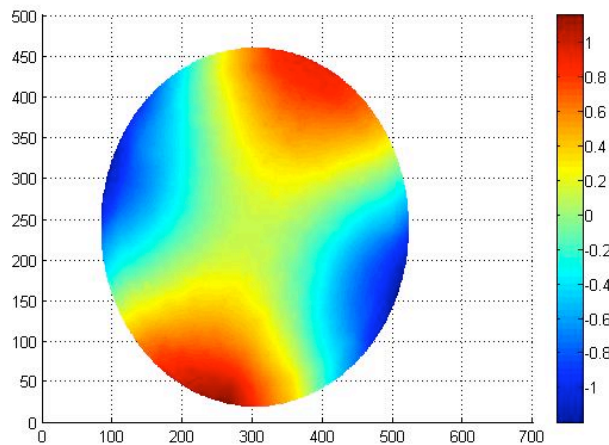
45°, RMS error = 170 nm



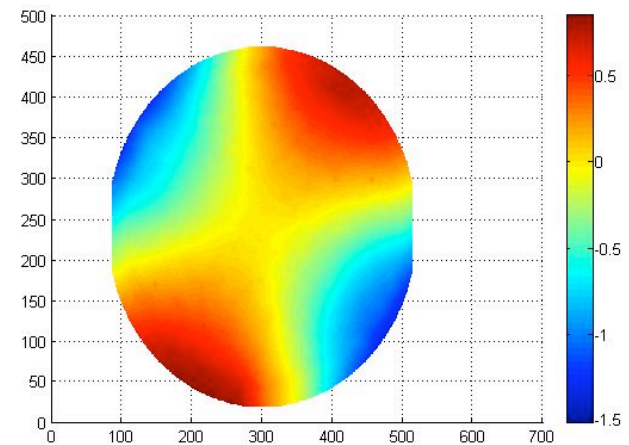
90°, RMS error = 86 nm



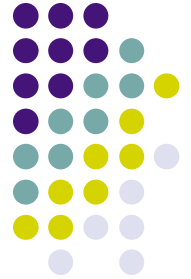
22.5°, RMS error = 103 nm



33.75°, RMS error = 106 nm



Summary of Results



Parameter	Value
Max Stroke	$\pm 20 \text{ um}$
Max Defocus	$\pm 3 \text{ D}$
Creep	1% of FS
Hysteresis	2% of FS
Settling (1%)	10 msec

- Correction of 2nd-order aberrations is clearly feasible.
- Study of correction of 3rd and 4th order aberrations in progress.
- Simple mirror structure may result in future low-cost DM's.